Assignment

LESSON 6: Every Which Way

Write

Draw and label a pair of congruent triangles. Write a congruence statement for the triangles, and then write congruence statements for each set of corresponding sides and angles.

Remember

A single rigid motion or a sequence of rigid motions produces congruent figures. There is often more than one sequence of transformations that can be used to verify that two figures are congruent.

Practice

- 1. Triangle ABC has coordinates A (1, -8), B (5, -4), and C (8, -9).
 - a. Describe a transformation that can be performed on $\triangle ABC$ that will result in a triangle in the first quadrant.
 - b. Perform the transformation and name the new $\bigtriangleup \textit{DEF}.$
 - c. List the coordinates for the vertices for $\triangle \textit{DEF}.$
 - d. Write a triangle congruence statement for the triangles.
- 2. Triangle ABC has coordinates A (1, -8), B (5, -4), and C (8, -9).
 - a. Describe a transformation that can be performed on $\triangle ABC$ that will result in a triangle in the third quadrant.
 - b. Perform the transformation and name the new $\triangle DEF$.
 - c. List the coordinates for the vertices for $\triangle \textit{DEF}.$
 - d. Write a triangle congruence statement for the triangles.
- 3. Identify the transformation used to create $\triangle XYZ$ in each.









- 4. Use the coordinates to determine the transformation or sequence of transformations used to map the first triangle onto the second triangle.
 - a. Triangle ABC with coordinates A (-8, 1), B (-4, 6), and C (0, 3) maps onto ΔXYZ with coordinates X (-1, -8), Y (-6, -4), and Z (-3, 0).
 - b. Triangle *PRG* with coordinates *P* (2, 8), *R* (–7, 5), and *G* (2, 5) maps onto ΔYOB with coordinates Y (–2, 8), O (7, 5), and B (–2, 5).
 - c. Triangle JCE with coordinates J (-6, 0), C (-4, -2), and E (0, 2) maps onto $\triangle RAN$ with coordinates R (6, -3), A (4, -1), and N (0, -5).
 - d. Triangle EFG with coordinates E (2, -1), F (8, -2), and G (8, -5) maps onto ΔZOQ with coordinates Z (-6, 1), O (0, 2), and Q (0, 5).

Stretch

The tangram is a popular Chinese puzzle that consists of seven geometric shapes. The shapes are composed into figures using all seven pieces. The seven pieces fit together to form a square. Determine the transformations of each shape required to create the candle pictured.





Review

- 1. Triangle HOP has coordinates H (2, 1), O (-3, 4), and P (5, 7). Determine the coordinates of the image of \triangle HOP after each rotation.
 - a. Rotation 90° clockwise about the origin
 - b. Rotation 90° counterclockwise about the origin
 - c. Rotation 180° about the origin
- 2. Combine like terms to rewrite each expression.

a.
$$(4\frac{1}{2}x - 3) + (-2 + 1\frac{3}{4}x)$$

b. 4 - (2.3x - 7)